

Modelling and Simulating Particle Transport in Liquid Composite Moulding Processes



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- 1.2. Particle Mixed Resin Flow

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4. Summary and Outlook

1. Introduction

1.1. RTM Process Overview

- Resin Transfer Moulding (RTM) is a process used to manufacture Fibre Reinforced Polymers (FRP), which consists of 5 steps as shown in Fig. 1 [1].

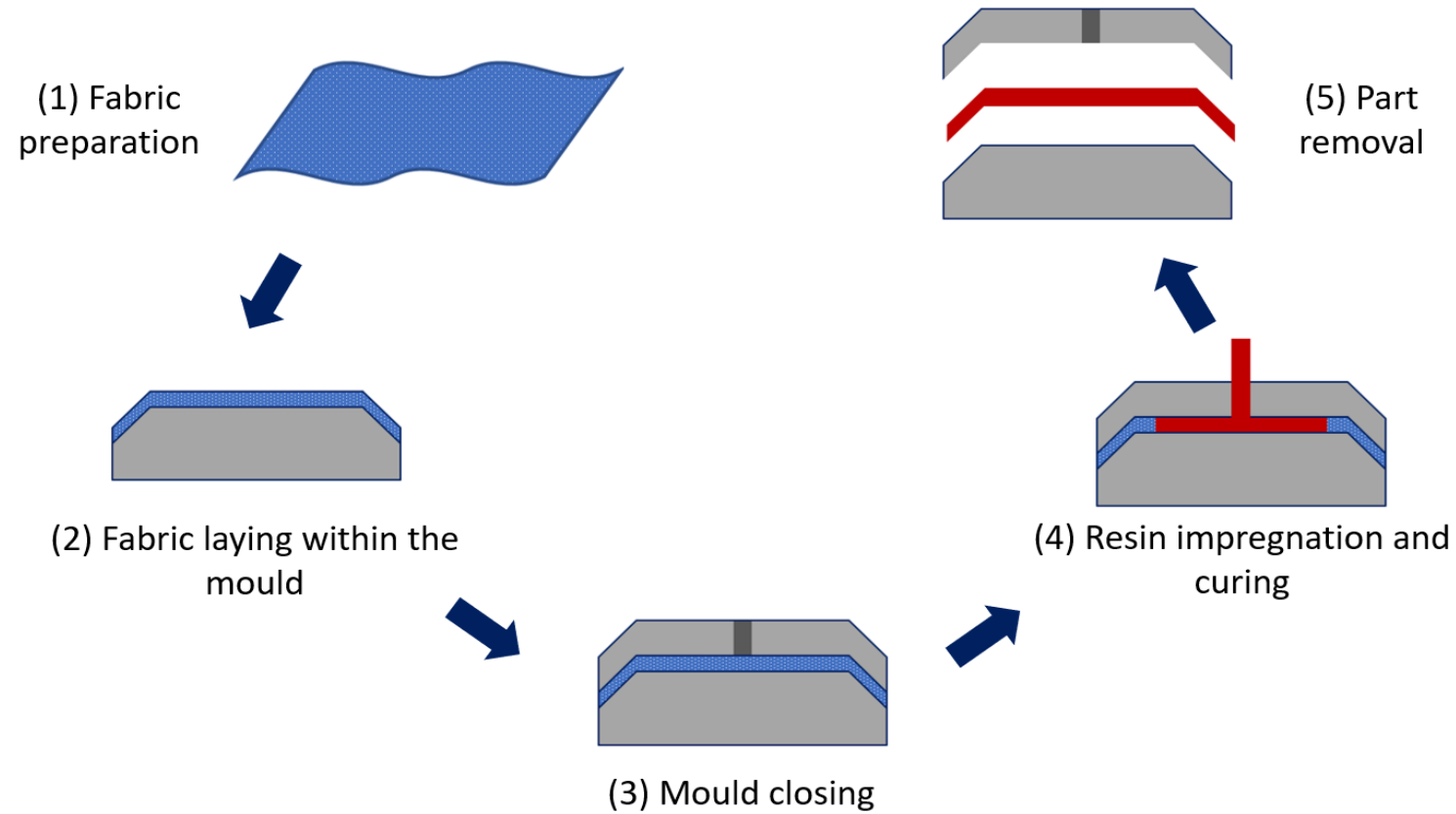


Figure 1: The Resin Transfer Moulding (RTM) process

1. Introduction

1.2. Particle Mixed Resin Flow

- Particles may be mixed with the resin to improve the properties of parts manufactured using RTM [2][3].
- The sizes of these particles can range from the micrometre scale to the nanometre scale, as shown in Fig. 2.
- The presence of particles within the resin affects the resin viscosity, and filtered particles affect the permeability of the flow channels
- Both of these phenomena subsequently affect the flow of particles during infusion [4][5].
- Transport models and simulations can provide valuable information regarding particle filtration and the final particle distribution [6].

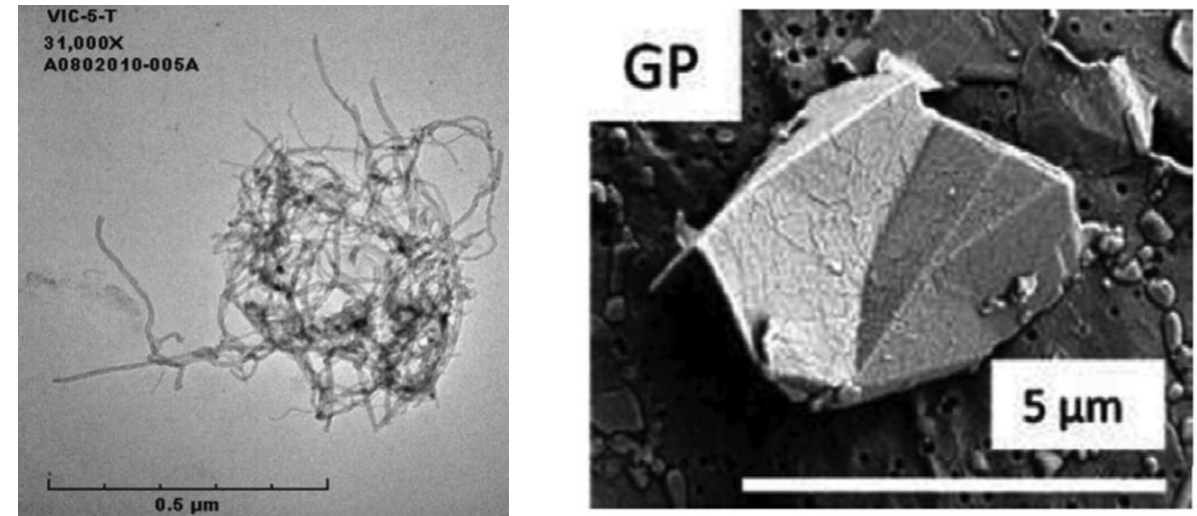


Figure 2: Different types of particles (a) Multi-Walled Carbon Nanotubes (b) Graphene Nanoplatelets [6]

2. Methodology

2.1. Governing Equations for Resin Flow

- The resin flow through the reinforcement preform is modelled as a flow through a porous medium, governed by the mass conservation equation (Eq. 1) and the Darcy equation (Eq. 2).

$$\nabla \cdot \mathbf{u} = 0 \tag{1}$$

$$\mathbf{u} = -\frac{\mathbf{K}}{\mu} \nabla P \tag{2}$$

- Here, \mathbf{u} is the volume-averaged resin velocity, \mathbf{K} is the permeability tensor for the porous preform, μ is the resin viscosity, and P is the resin pressure.
- The above equations can be combined to obtain Eq. 3, which is then used to solve for the in-mould pressure distribution at each time step.

$$\nabla \cdot \left(\frac{\mathbf{K}}{\mu} \nabla P \right) = 0 \tag{3}$$

2. Methodology

2.2. Governing Equations for Particle Transport

- Eulerian descriptions are suitable for modelling the transport of fine particles, where the number of individual particles can be extremely large.
- It has been observed experimentally that particles tend to get filtered as the resin impregnates the reinforcement (Fig. 3).
- These dynamics can be modelled by introducing appropriate sink/ source terms in transport equations [7].

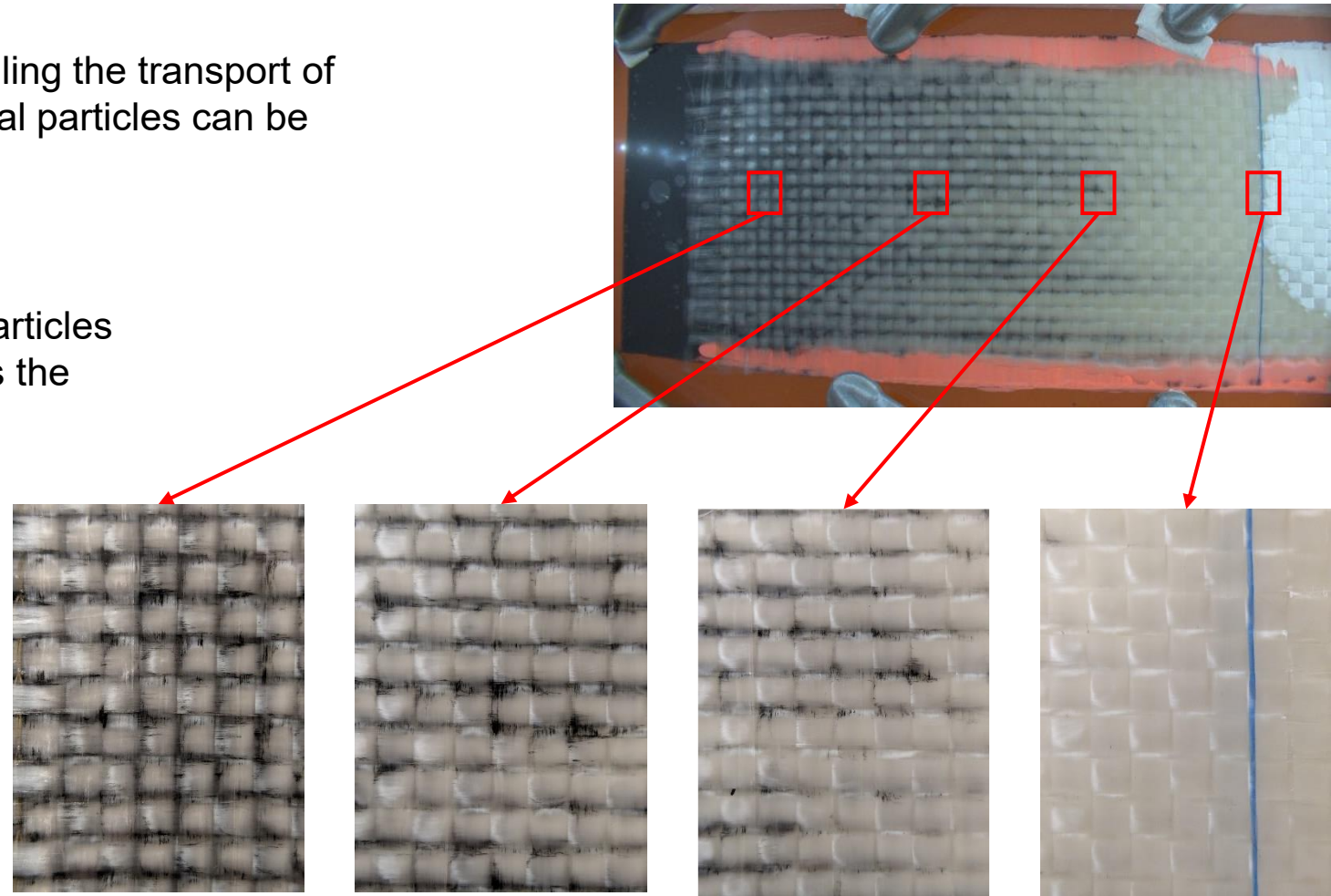


Figure 3: Filtration of GNP through the reinforcement, resulting in a non-uniform distribution of nanofillers.

2. Methodology

2.2. Governing Equations for Particle Transport

- These dynamics can be modelled by introducing appropriate sink/ source terms in the transport equations (Eqs. 4 and 5) [7][8].

$$\frac{\partial \phi C_1}{\partial t} + \nabla \cdot (\mathbf{u}C_1) = -S_{filtered} \quad (4)$$

$$\frac{\partial C_2}{\partial t} = +S_{filtered} \quad (5)$$

C_1 = Mass concentration of particles in the **resin** (kg/m^3_{fluid})

C_2 = Mass concentration of **filtered** particles (kg/m^3_{total})
(= Mass concentration of filtered particles)

Particles stuck on/ in tow (filtration) – C_2

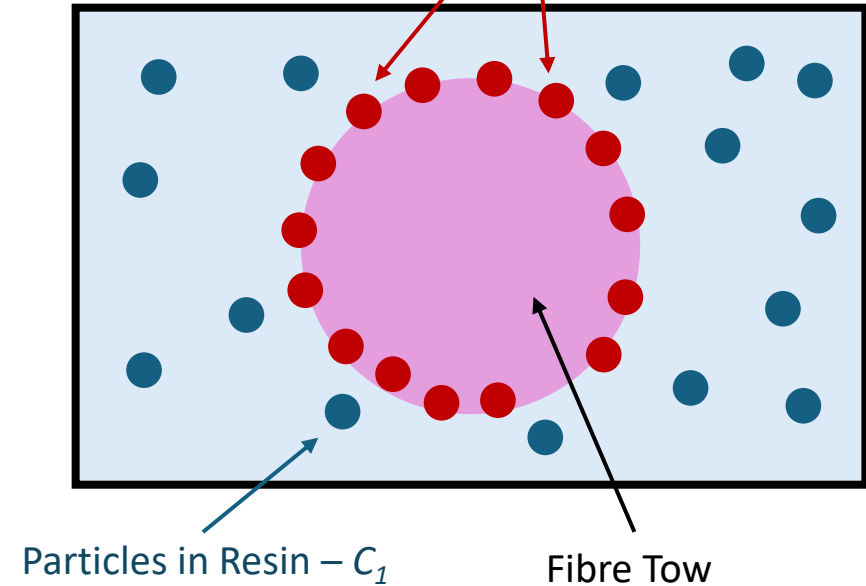


Figure 4: Classification of different particle species

2. Methodology

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(= Mass concentration of filtered particles)

$$S_{filtered} = k\mathbf{u}C_1 \quad (6)$$

- $S_{filtered}$ is the rate of particle filtration, and can be expressed using Eq. 6. Here, k is the **filtration coefficient** [8][9].

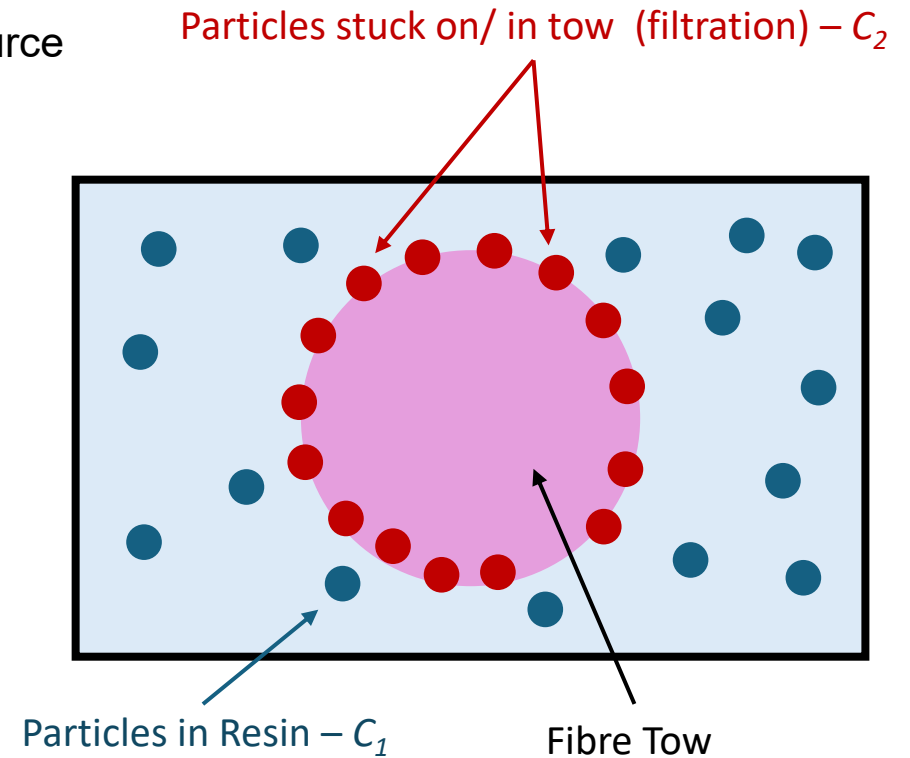


Figure 4: Classification of different particle species

2. Methodology

2.2. Governing Equations for Particle Transport

- These dynamics can be modelled by introducing appropriate sink/ source terms in the transport equations (Eqs. 4 and 5) [7][8].

$$\frac{\partial \phi C_1}{\partial t} + \nabla \cdot (\mathbf{u}C_1) = -S_{filtered} \quad (4) \quad C_1 = \text{Mass concentration of particles in the resin}$$

$$\frac{\partial C_2}{\partial t} = +S_{filtered} \quad (5) \quad C_2 = \text{Mass concentration of filtered particles}$$

$$S_{filtered} = k\mathbf{u}C_1 \quad (6)$$

- Furthermore, it has also been observed that the reinforcement permeability and the resin viscosity are influenced by the presence of particles [10][11].

- This can be conveniently implemented in LIMS-MPI.

$$\nabla \cdot \left(\begin{matrix} \mathbf{K} \\ \mu \end{matrix} \nabla P \right) = 0$$

$\mathbf{K}(C_2)$
 $\mu(C_1)$

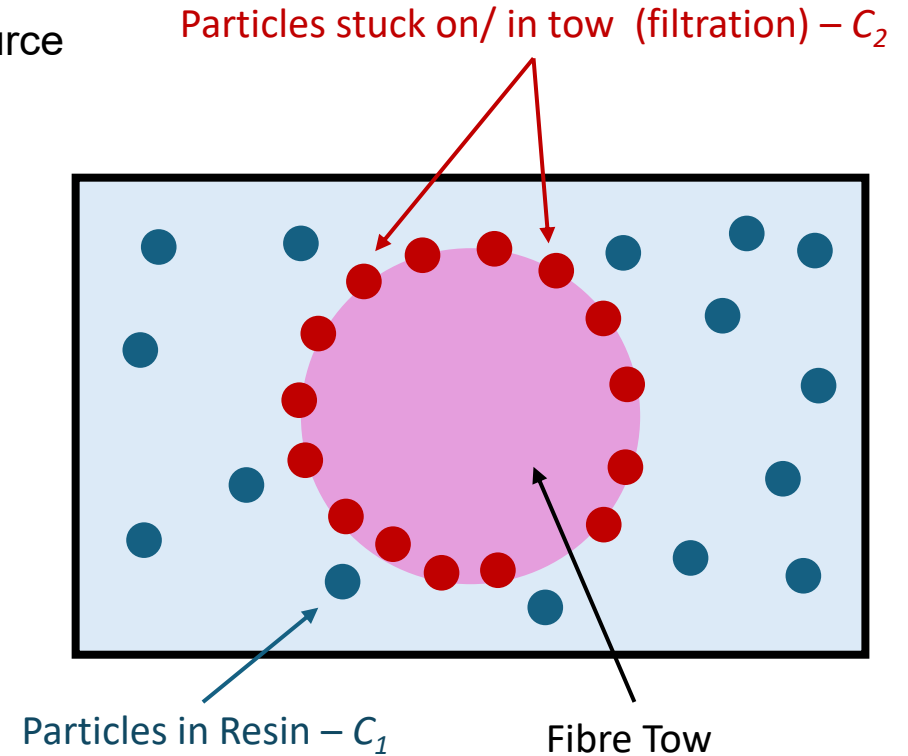


Figure 4: Classification of different particle species

2. Methodology

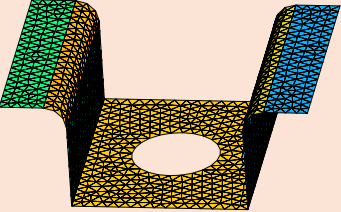
2.3. Liquid Injection Molding Simulation (LIMS) Software

- Research software developed at the Center for Composite Materials, University of Delaware.
- Simulates the mold-filling stage of liquid composite molding processes.
- Predicts resin flow, pressure distribution, fill time, and flow-front progression. Also supports process design for injection and venting strategies (Fig. 5).

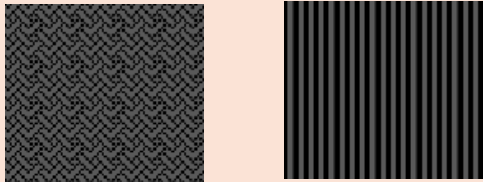


Inputs

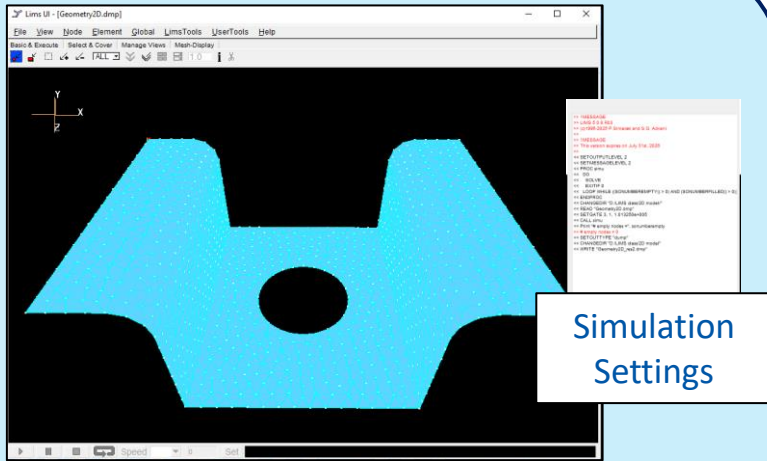
Part Design/Meshing



Permeability and Preform Properties



LIMS

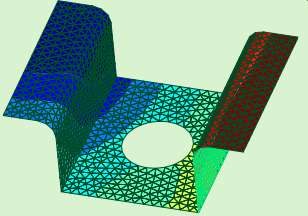


Simulation Settings

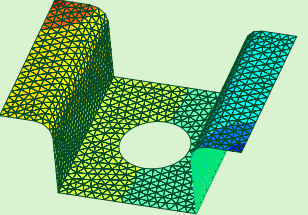
- Pressure/Flowrate
- Inlet and vent location
- Fluid properties

Outputs

Fill Pattern



Pressure



Resin Fill

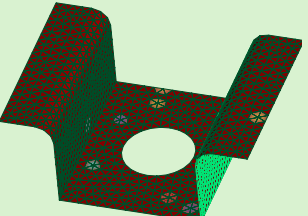


Figure 5: LIMS Software Overview

2. Methodology

2.3. Liquid Injection Molding Simulation (LIMS) Software

- LIMS simulation example:
Automotive B-pillar (Fig. 6)

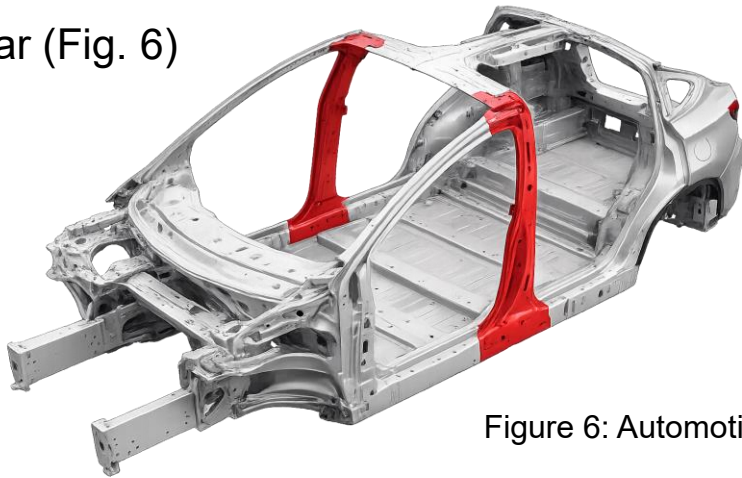


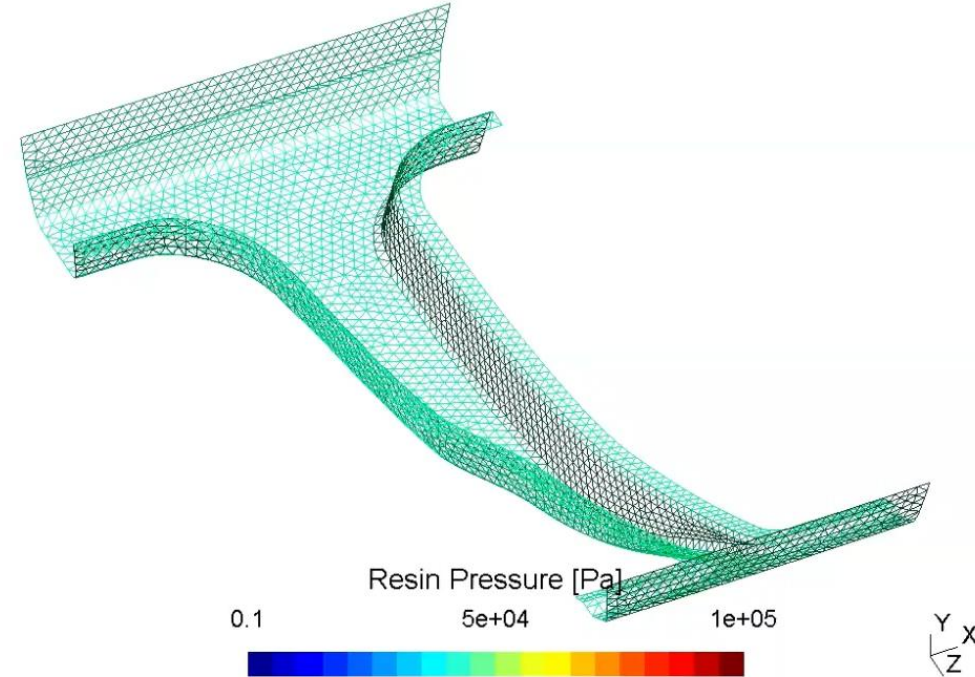
Figure 6: Automotive B-pillar

- Previously shown by LIMS:

- ✓ Flow through porous media,
- ✓ Deformation of flow domain,
- ✓ Energy transport and cure evolution.

- What had not been addressed:

- × Volatile transport and accumulation
 - Discrete entities (bubbles)
 - Dissolved volatiles
- × Multiple species reaction
- × **Particle transport**



Challenge: Model coupling directly into code is difficult

Approach: Develop parallel decoupled models

2. Methodology

2.4. Message Passing Interface (MPI)

- MPI is the standard framework for parallel computing and allows separate simulation codes to exchange data during runtime.
- Useful when one model controls flow while another solves additional physics.

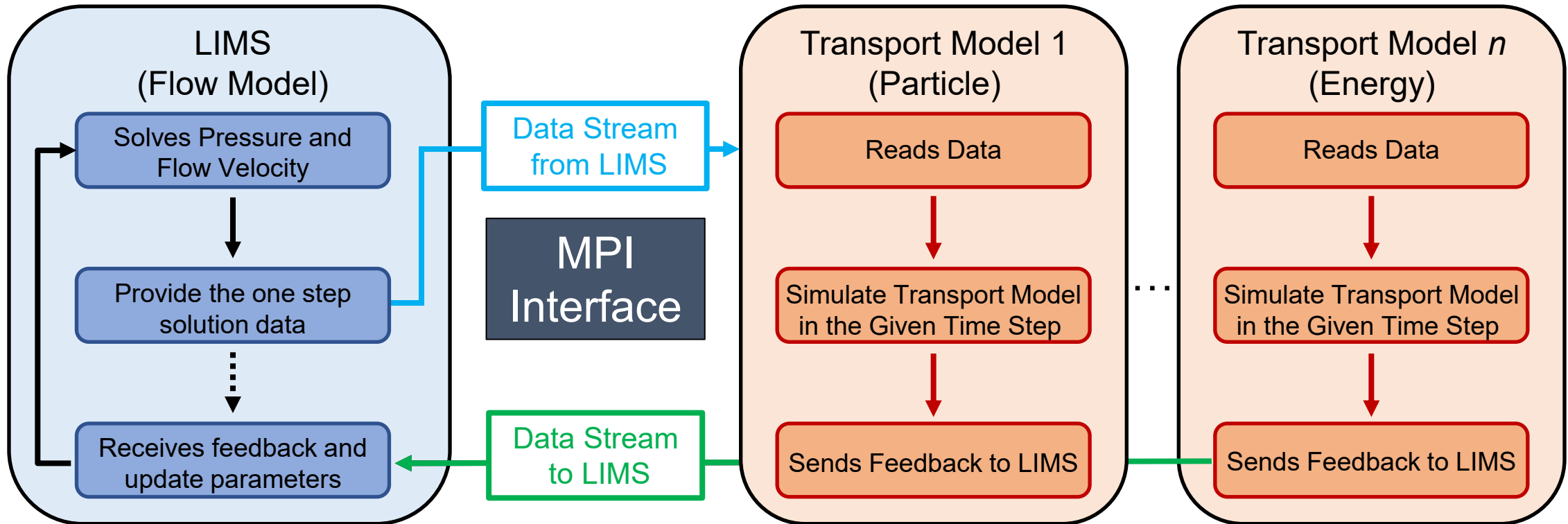


Figure 7: MPI Operation

- ✓ Multiple models run in parallel, while LIMS remains as the main flow solver.
- ✓ Data transfer occurs only at LIMS timesteps.
- ✓ MPI enables execution across multiple cores / CPUs.

2. Methodology

2.5. LIMS-MPI

- Transport Modeling Description
 - ✓ Kinematic equation for particle motion.
 - ✓ Particle concentration transport with source/sink terms
 - ✓ Modified Gebart equation for permeability variation
 - ✓ Modified Krieger-Dougherty equation for viscosity variation
- Necessary Model Parameters
 - ✓ Filtration coefficient
 - ✓ Viscosity coefficient
- **LIMS** harnesses “Transport Code” functionality through the internal LBASIC script.
- **Transport Model 1** provides the “Common” simulation functionality and communication.

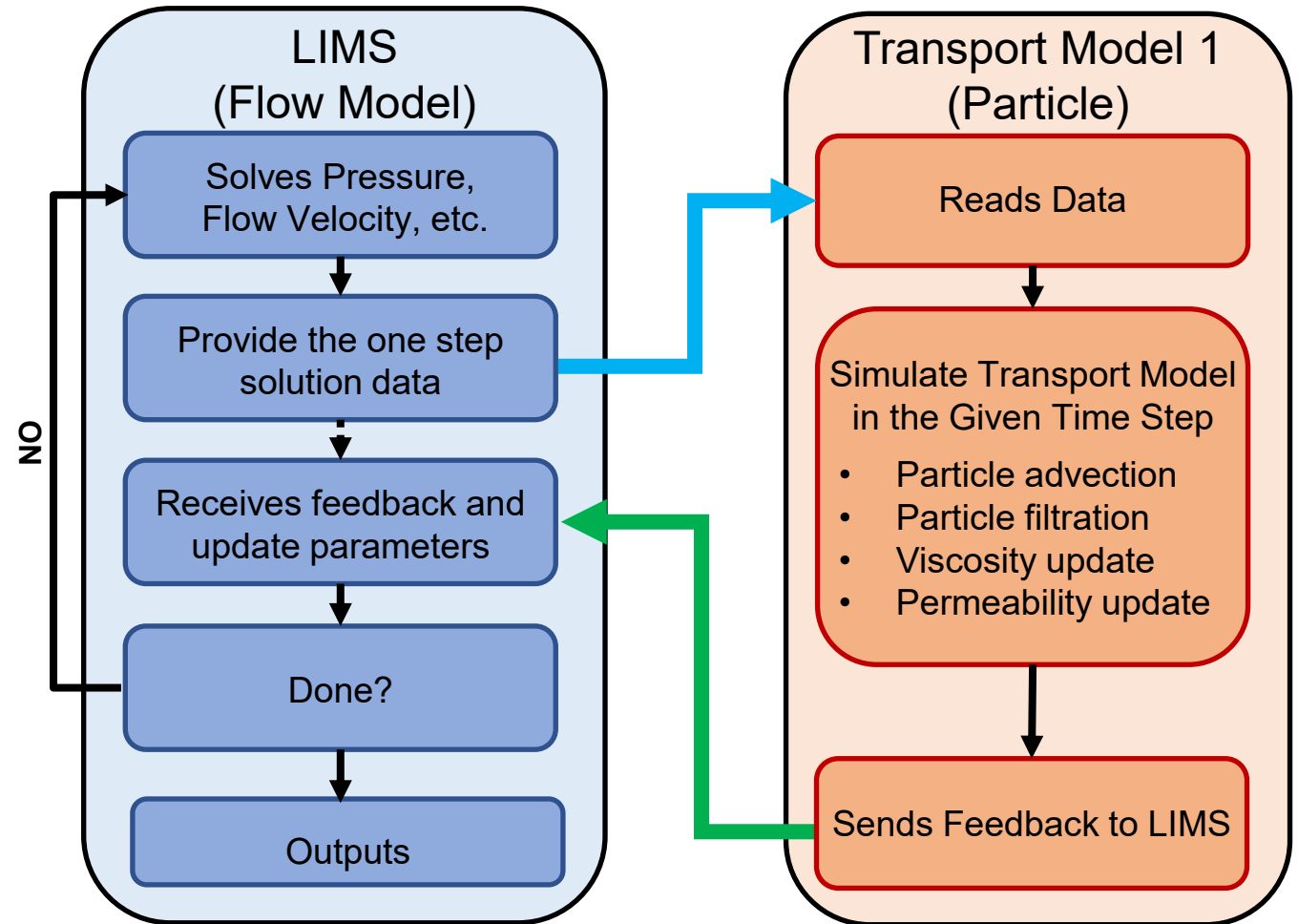


Figure 8: LIMS-MPI Overview [12]

2. Methodology

2.6. Particles and Viscosity

- The presence of particles changes the viscosity of the resin, thus, it is a function of the particle concentration within the resin.

$$\mu = \mu_0 \left(1 - \frac{C_1}{A}\right)^{-2} \quad (8)$$

- The viscosity variation can be modelled using Eq. 8. Here, μ_0 is pure resin viscosity, and A is a constant [8][13].

- This relation is valid for non-interacting particles with a narrow size distribution [7].

- As illustrated in Fig. 10, the resin viscosity and its rate of variation increase with the particle concentration.

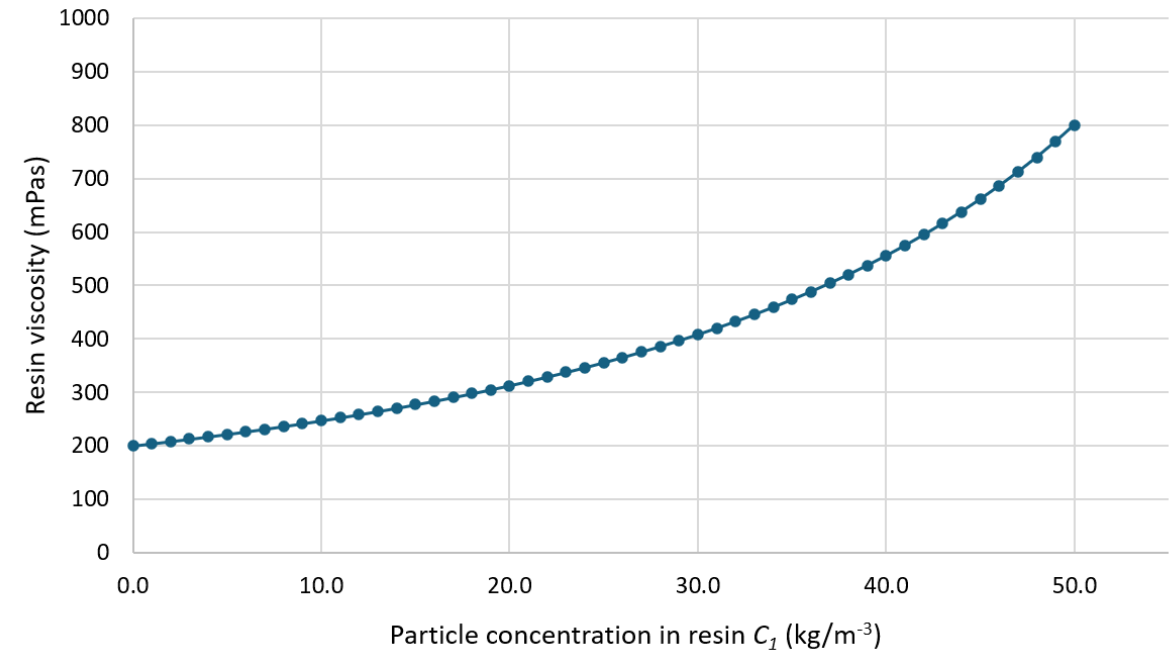


Figure 10: Variation of resin viscosity with particle concentration

2. Methodology

2.7. Particles and Permeability

- The permeability depends on the pore space available for the resin to flow.
- This available space reduces with increasing particle filtration, thereby decreasing the permeability.
- It is assumed that the particle filtration results in a uniform coating over the cylindrical tow surfaces, as shown in Fig. 9.
- The updated permeability can be estimated using the Gebart permeability model (Eq. 7) by modifying the preform volume fraction [14].

$$K_{new} = \frac{16}{9\pi\sqrt{2}} \left(\sqrt{\frac{V_{fmax}}{V_f + V_P}} - 1 \right)^{5/2} R_{final}^2 \quad (7)$$

V_{fmax} = Maximum volume fraction

V_f = Initial preform volume fraction

V_P = Filtered particle volume fraction = C_2/ρ_P

R_{final} = Final tow radius

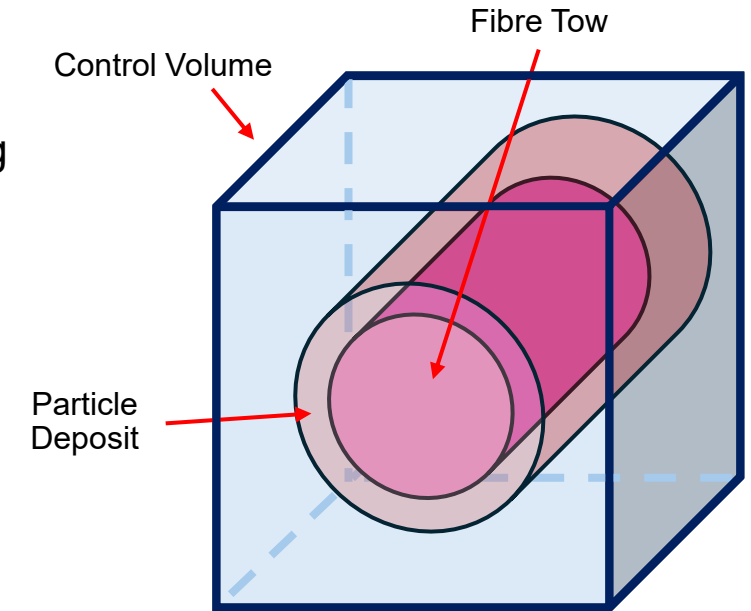


Figure 9: Parameters for permeability update

2. Methodology

2.8. Transport Model Configuration

Partially Coupled Model

- In this approach, the resin viscosity/ preform permeability is assumed to be constant and unaffected by the presence of particles (Fig. 11a)
- After the pressure and velocity fields are solved, the particle concentrations are updated based on the resin flow, resulting in a passive transport.

Fully Coupled Model

- In this approach, the resin viscosity/ preform permeability is updated at each time step according to the concentration of particles within an element (Fig. 11b).

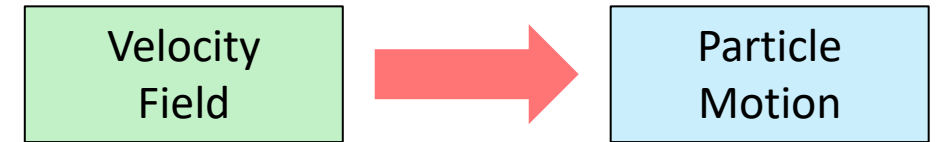


Figure 11a: Partially coupled model

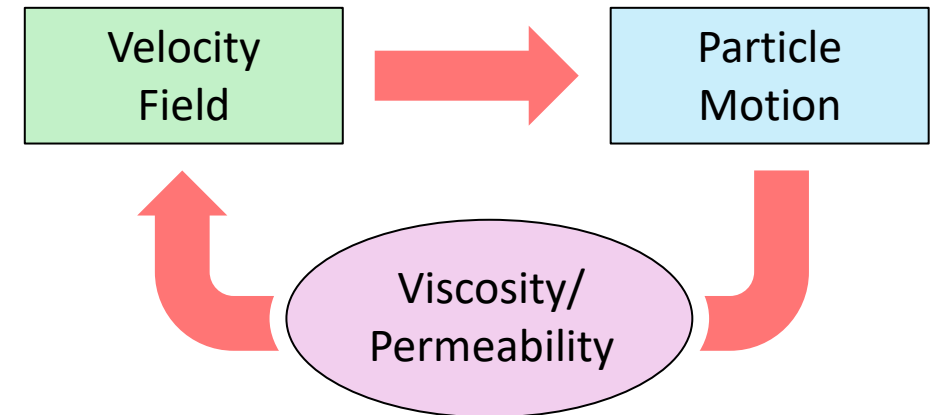


Figure 11b: Fully coupled model

3. Results

3.1. Numerical Flow Domain

- The numerical domain is a 10cm × 30cm rectangular mould, and the resin is injected under controlled pressure/ flow conditions from a line gate, as shown in Fig. 12.
- Particles are introduced to the system from the inlet under different conditions, and the final distribution of particles within the resin and filtered particles is analysed.
- The numerical parameters are given in Table 1.

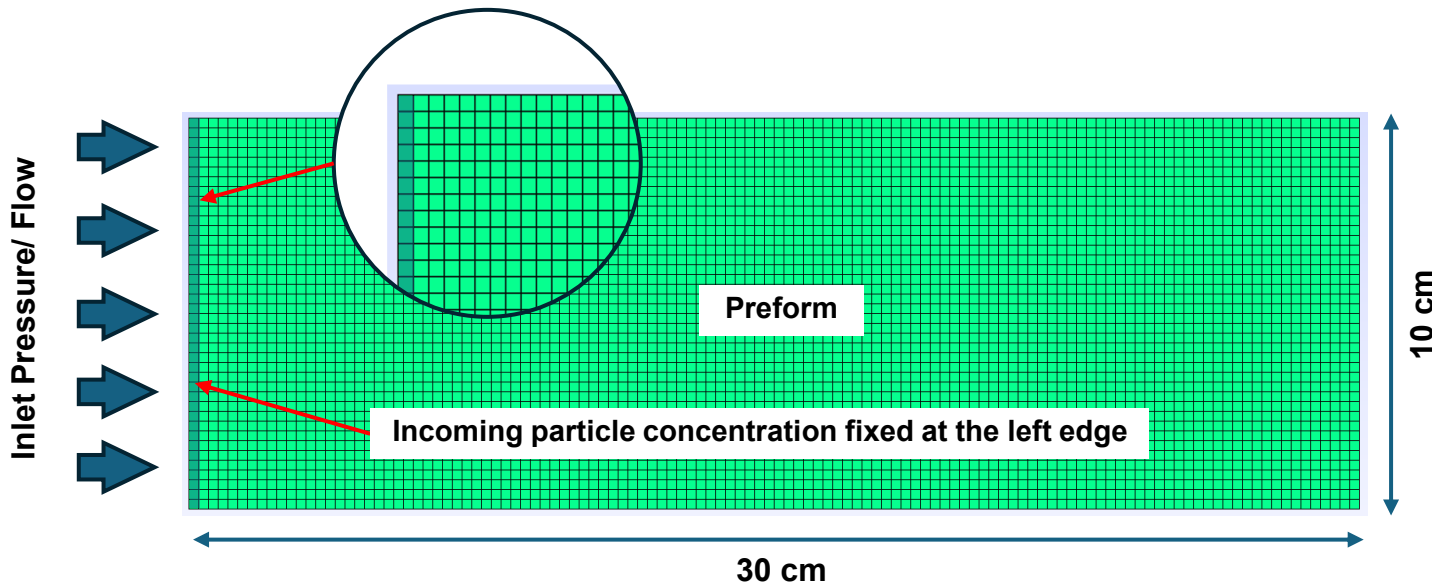


Figure 12: Numerical domain setup

Table 1: Flow simulation parameters

| Parameter | Value |
|-------------------------|----------------------|
| Preform permeability | 5e-11 m ² |
| Resin viscosity | 200 mPas |
| Preform volume fraction | 0.5 |
| Mould thickness | 5 mm |

3. Results

3.2. Partially Coupled Model

- Particle transport was simulated under constant inlet flow rate conditions with a fixed inlet concentration of 10 kg/m^3 .
- Fig. 13a shows the final distribution of particles within the resin (C_1) and the filtered particles (C_2) with and without filtration effects.
- In this case, the preform permeability and resin viscosity are unaffected by the presence of particles (Figs.13a,b)

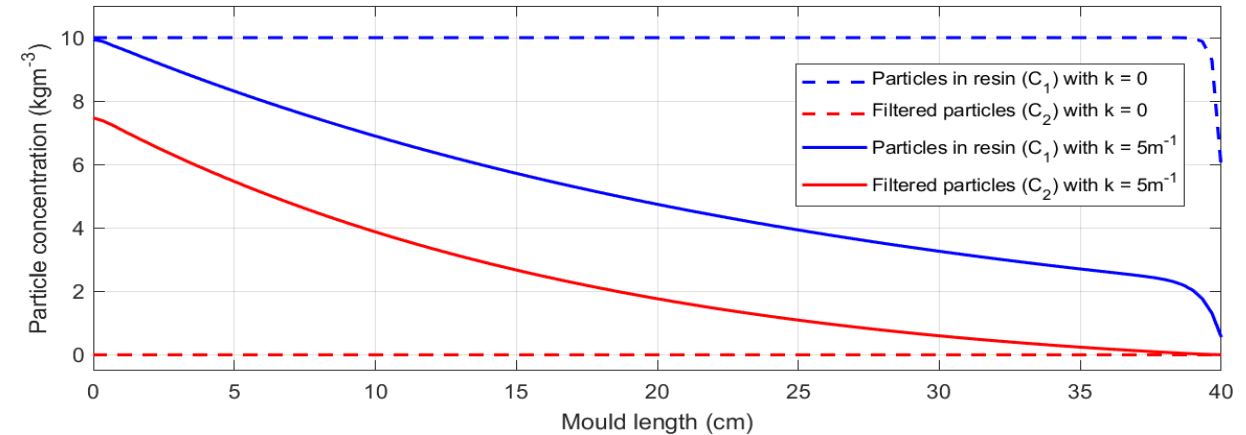


Figure 13a: Distribution of particles at the end of mould filling

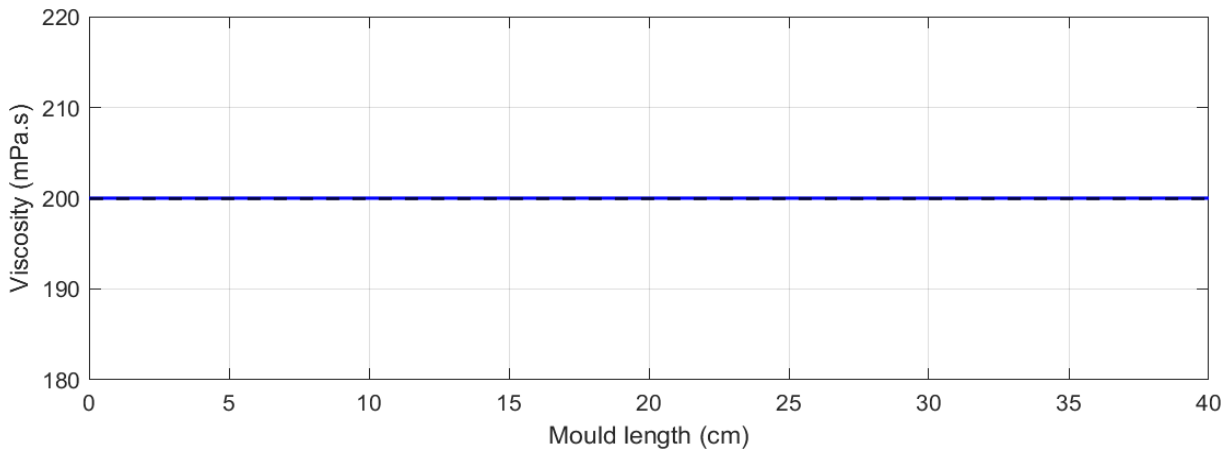


Figure 13b: Variation of the resin viscosity at the end of mould filling

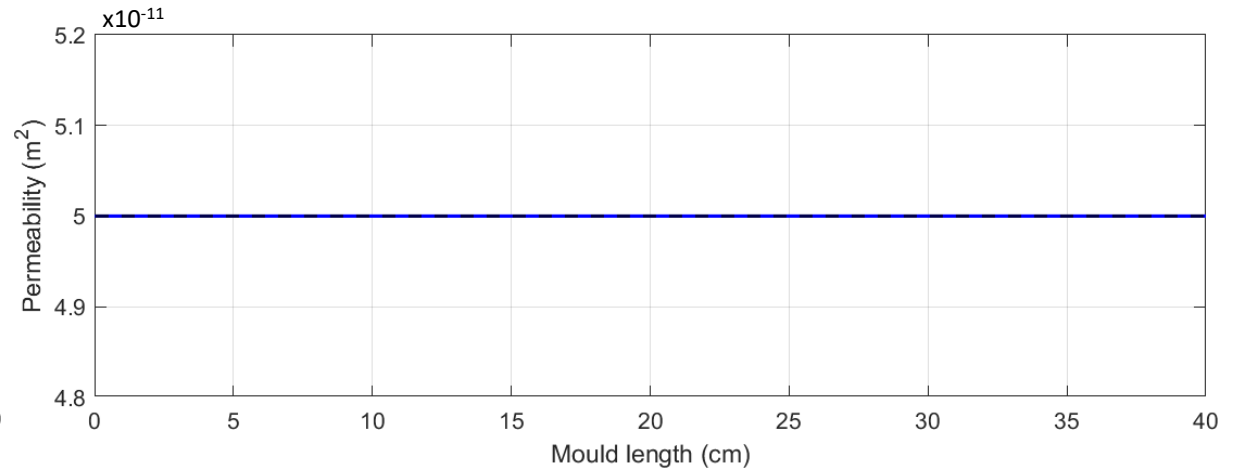


Figure 13c: Variation of the preform permeability at the end of mould filling

3. Results

3.3. Fully Coupled Model

- Here, the resin viscosity and preform permeability become dependent on C_1 and C_2 , respectively.
- The initial resin viscosity was $200\text{mPa}\cdot\text{s}$, and the initial preform permeability was $5 \times 10^{-11} \text{m}^2$.
- As shown in Fig. 14, the viscosity and permeability deviate from their initial values in regions with high particle concentrations.

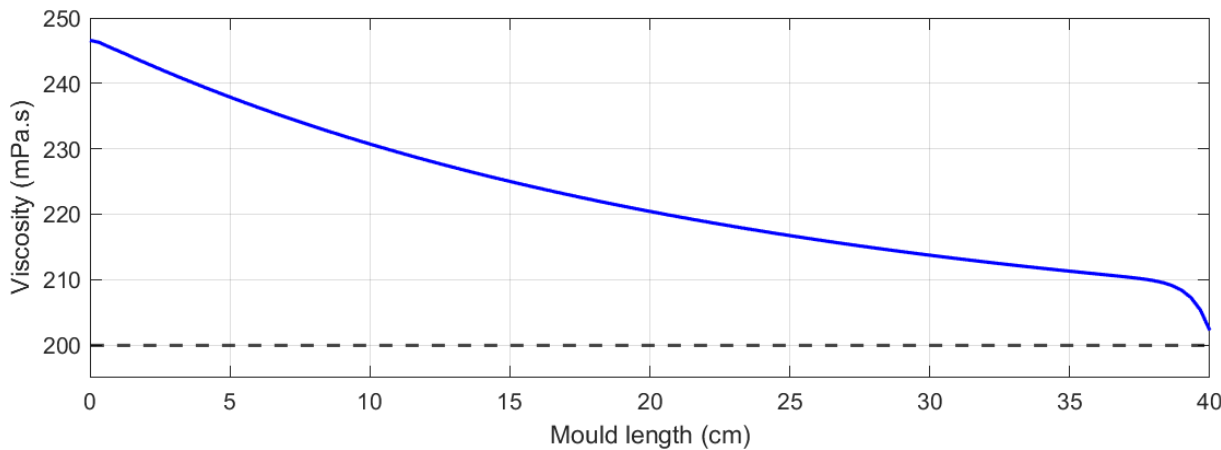


Figure 14b: Variation of the resin viscosity at the end of mould filling

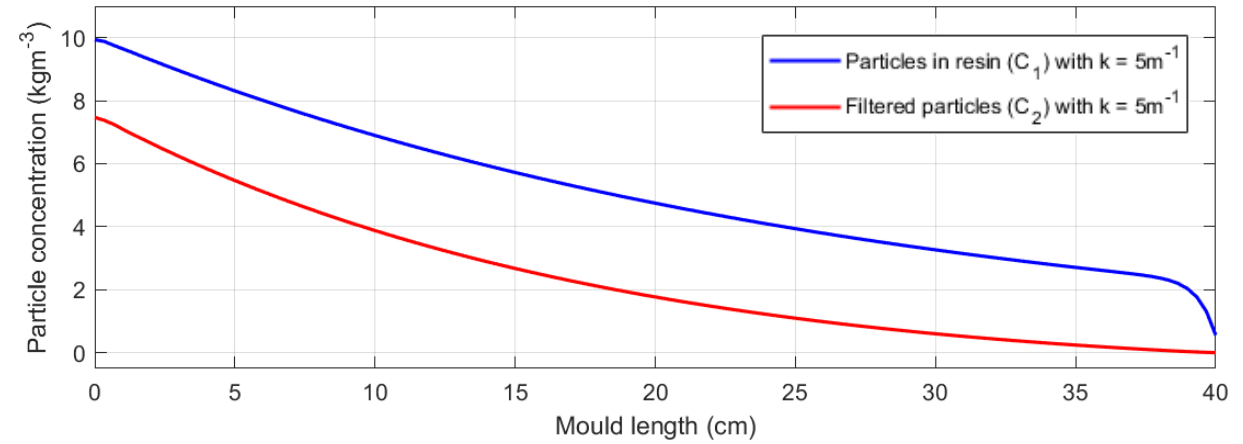


Figure 14a: Distribution of particles ($k = 5 \text{ m}^{-1}$) at the end of mould filling

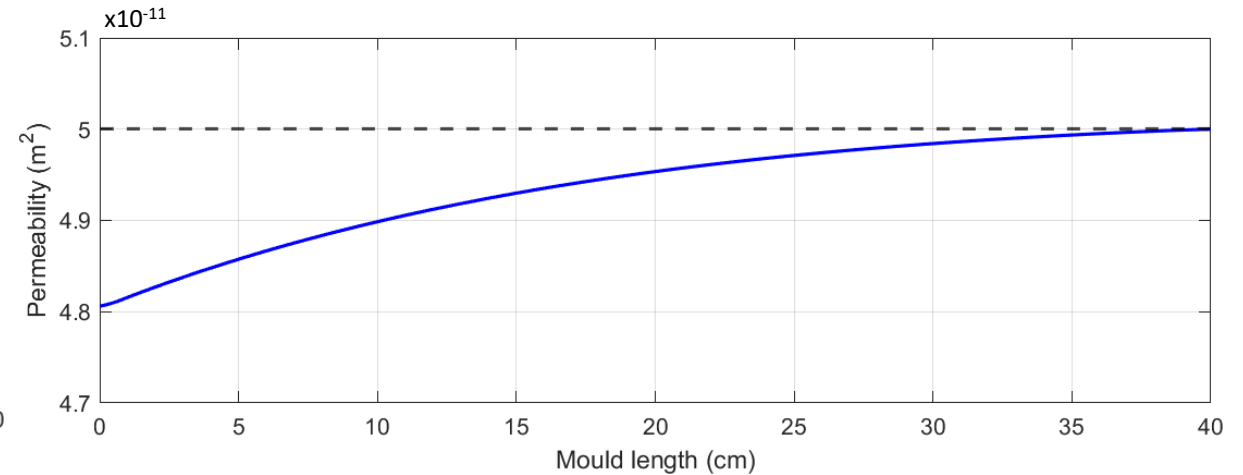


Figure 14c: Variation of the preform permeability at the end of mould filling

3. Results

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- Here, the resin viscosity and preform permeability become dependent on C_1 and C_2 , respectively.
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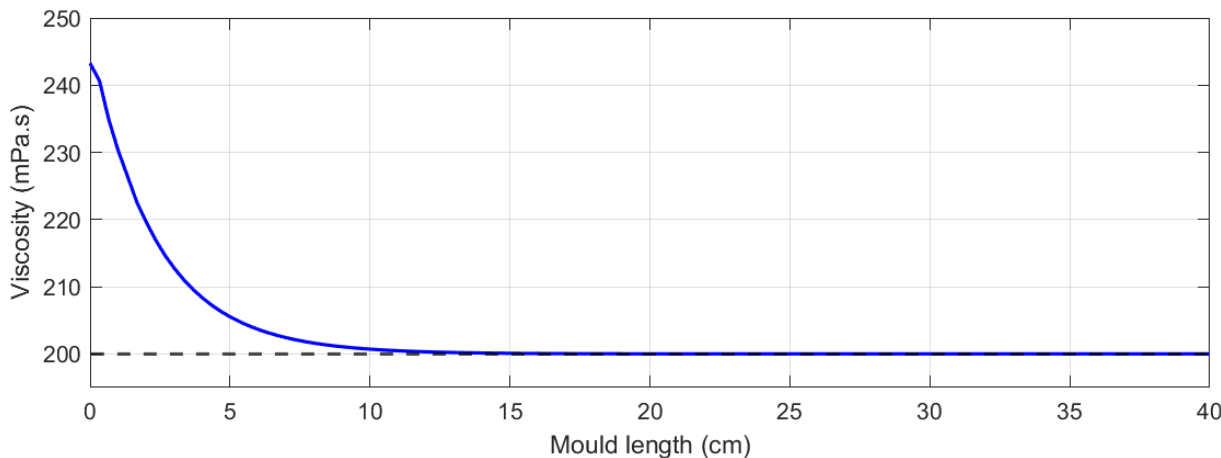


Figure 15b: Variation of the resin viscosity at the end of mould filling

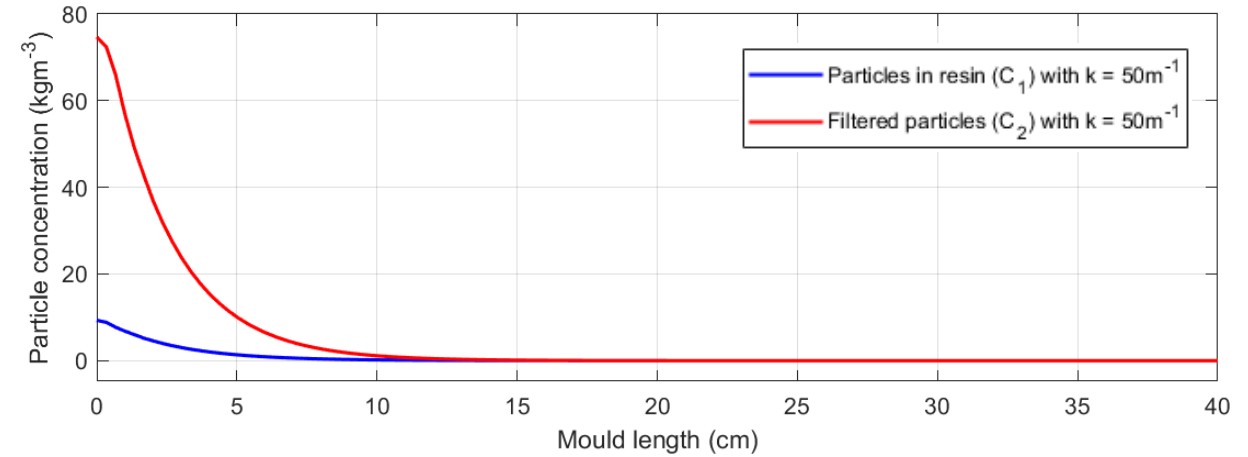


Figure 15a: Distribution of particles ($k = 50 \text{m}^{-1}$) at the end of mould filling

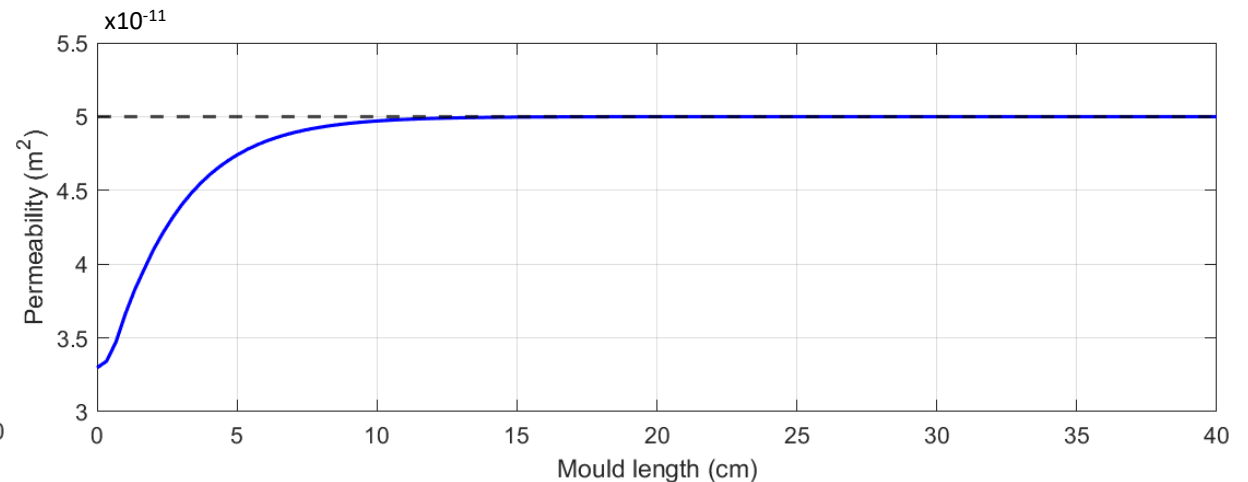


Figure 15c: Variation of the preform permeability at the end of mould filling

3. Results

3.4. Impact of the Particle Presence

- The presence of particles significantly alters the mould fill time and the pressures generated within the mould, compared to an injection of pure resin (Fig. 16).

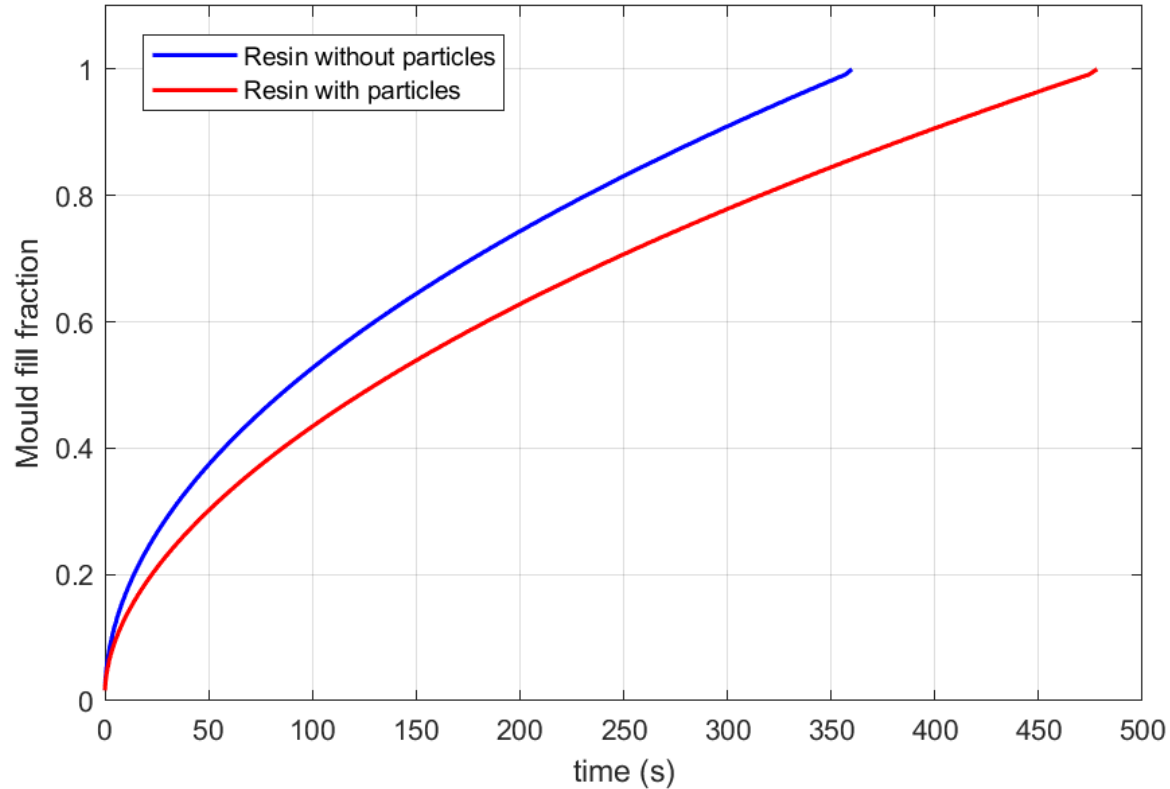


Figure 16a: Variation of mould fill fraction with time for a fixed pressure resin injection

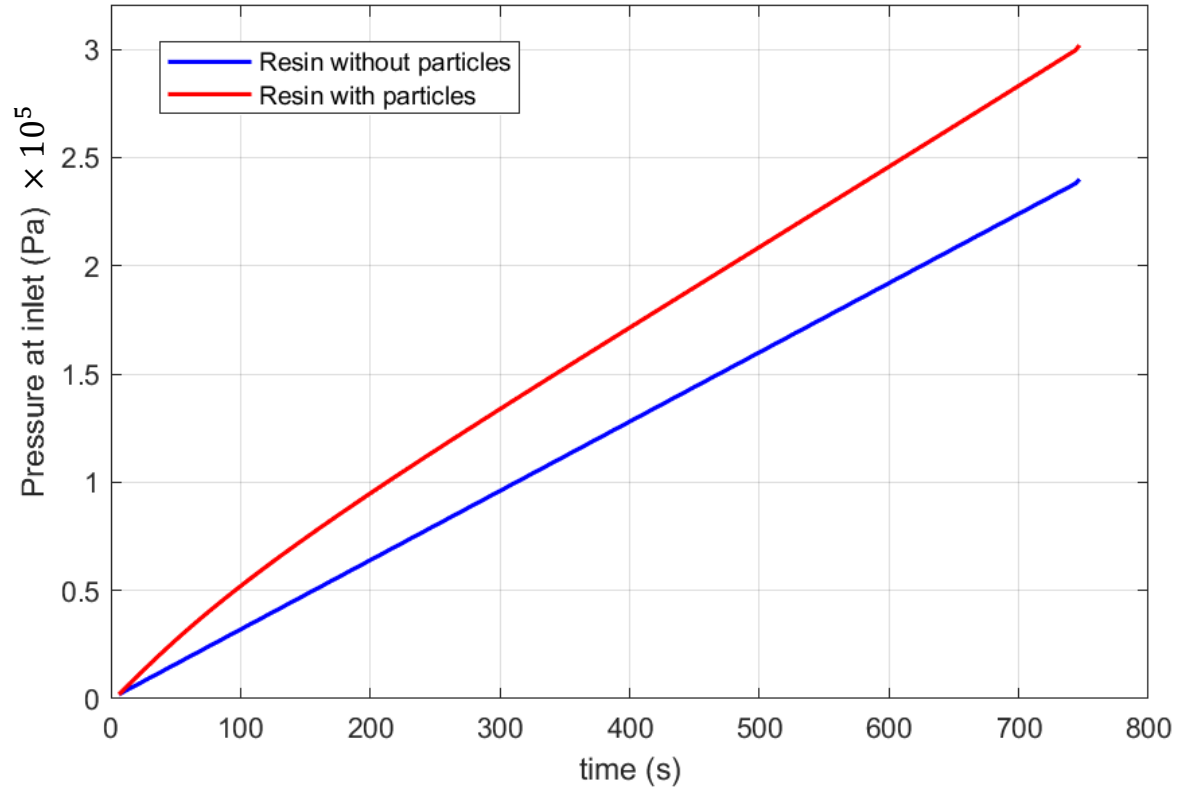


Figure 16b: Variation of pressure at the inlet with time for a fixed flow rate resin injection

3. Results

3.5. Mould Fill Time under Fixed Pressure Injection

- The incoming particle concentration (C_1) and the filtration coefficient (k) were varied while recording the mould fill time.
- It was seen that the mould fill time increased with the increasing C_1 (Fig 17).
- This can be attributed to the resin viscosity increase and permeability decrease caused by the increasing presence of particles within the system.
- It was also seen that for a given C_1 value, there existed a specific value of k at which the mould fill time was minimum (Fig. 17).

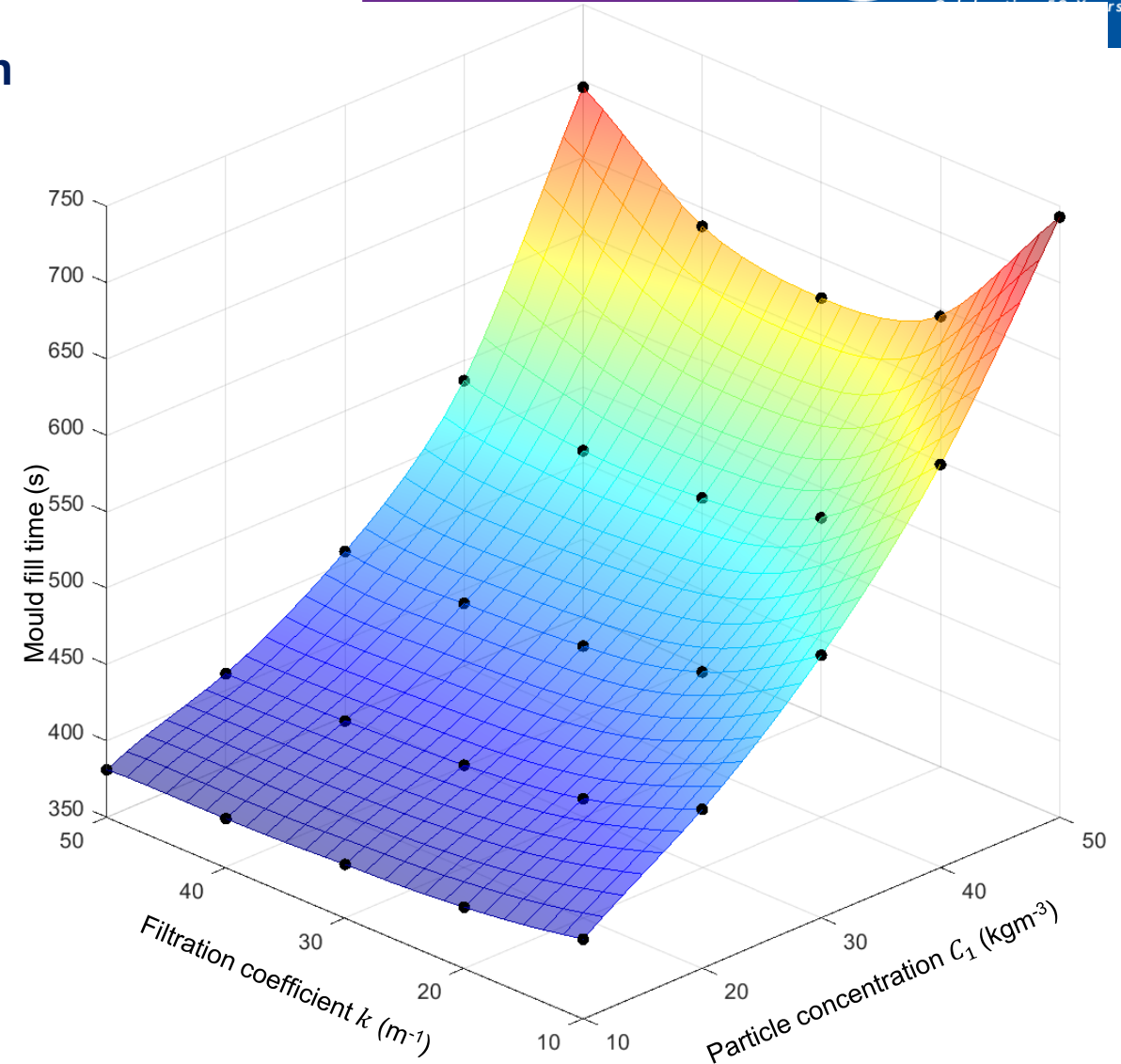


Figure 17: Variation of mould fill time

3. Results

3.6. Pressure at Inlet under Fixed Flowrate Injection

- Here, the incoming particle concentration (C_1) and the filtration coefficient (k) were varied while monitoring the pressure at the resin inlet.
- In a trend similar to the previous case, the pressure at the inlet increased with C_1 . (Fig 18)
- Large pressures were observed when both C_1 and k were high.

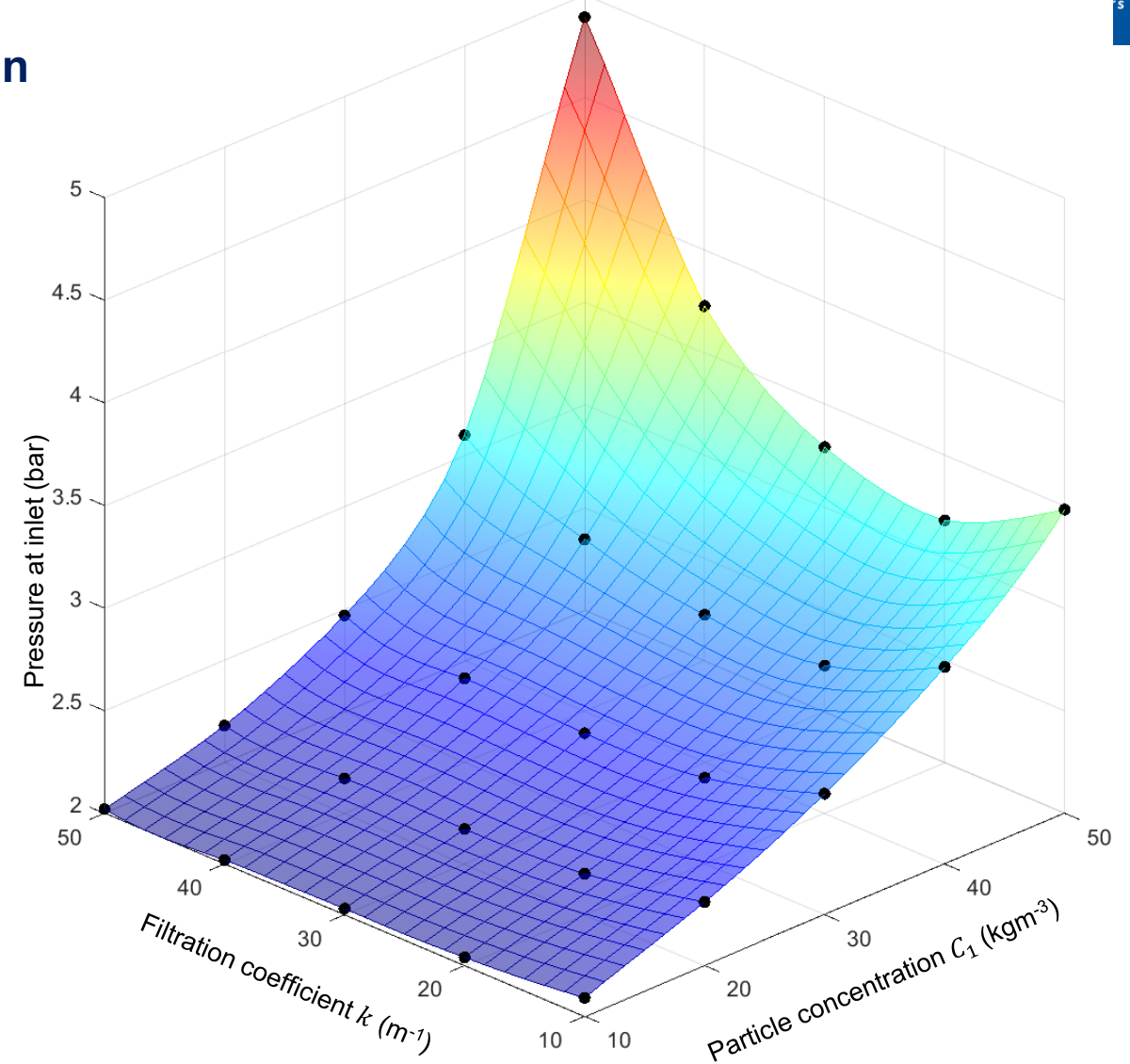


Figure 18: Variation of pressure at the inlet

3. Results

3.7. Influence of Filtration Coefficient

- The influence of the filtration coefficient (k) on the particle distributions (C_1 and C_2) at the end of mould filling was investigated (Figs. 19a and 19b).
- At very low values of k , particle distribution within the fibre preform tends towards homogeneity.
- However, for realistic k values, severe filtration causes the particles to accumulate near the resin inlet.
- This leads to increasingly non-homogeneous particle distributions at the end of mould filling.

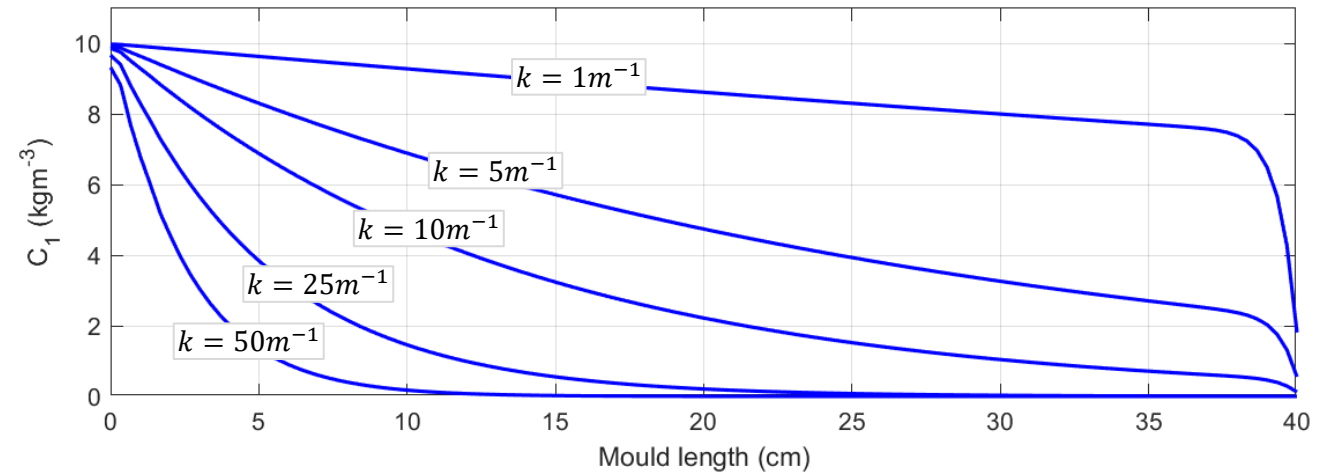


Figure 19a: Variation of C_1 with k

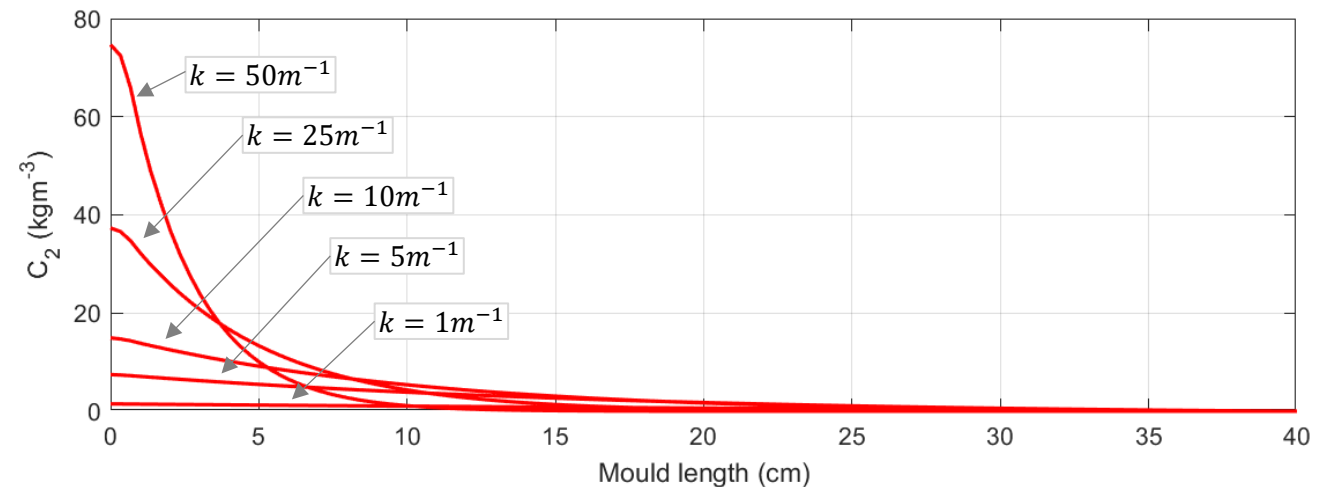


Figure 19b: Variation of C_2 with k

3. Results

3.8. Influence of Racetracking

- Racetracking is an important phenomenon that occurs during RTM mould filling, and has a significant impact on the resin flow front evolution and the mould fill time.
- Racetracking was introduced to the current model by increasing the permeability of elements along the mould edges, as shown on Fig. 20.
- The permeability of the racetrack elements was set to be 100x the permeability of the preform elements.
- The racetrack element permeability was unaltered, due to the absence of particle filtration.

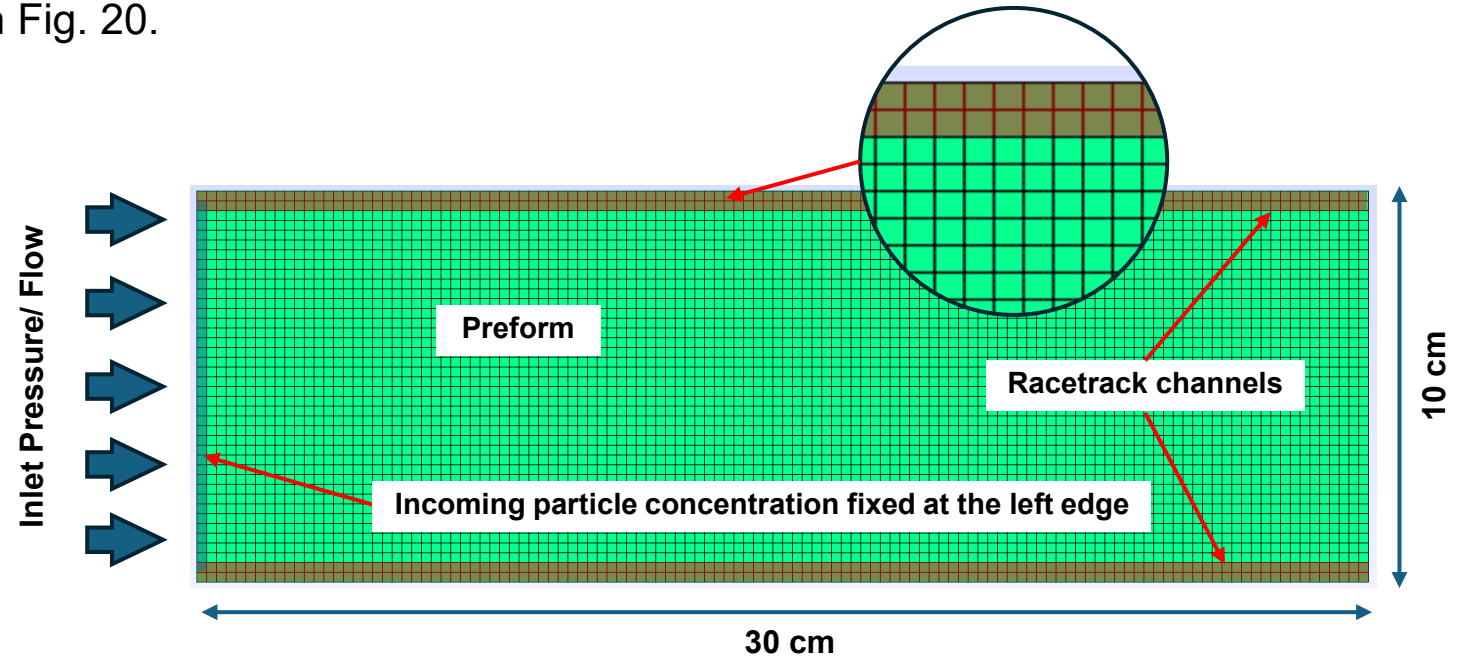


Figure 20: Implementing racetracking along mould edges

3. Results

3.8. Influence of Racetracking

- Racetracking results in a 2-dimensional flow of resin, and strongly influences the final distribution of particles as shown in Fig. 21.

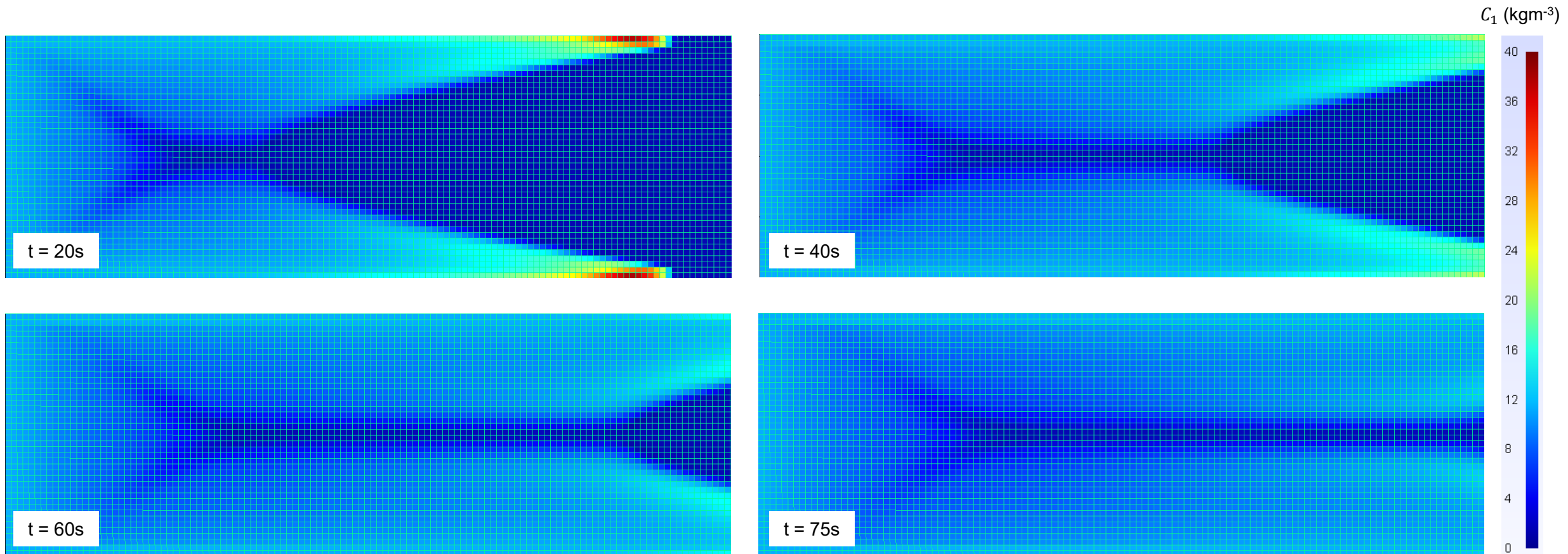


Figure 21: Evolution of particles in resin (C_1) distribution with time during mould filling

3. Results

3.8. Influence of Racetracking

- Racetracking results in a 2-dimensional flow of resin, and strongly influences the final distribution of particles as shown in Fig. 22.

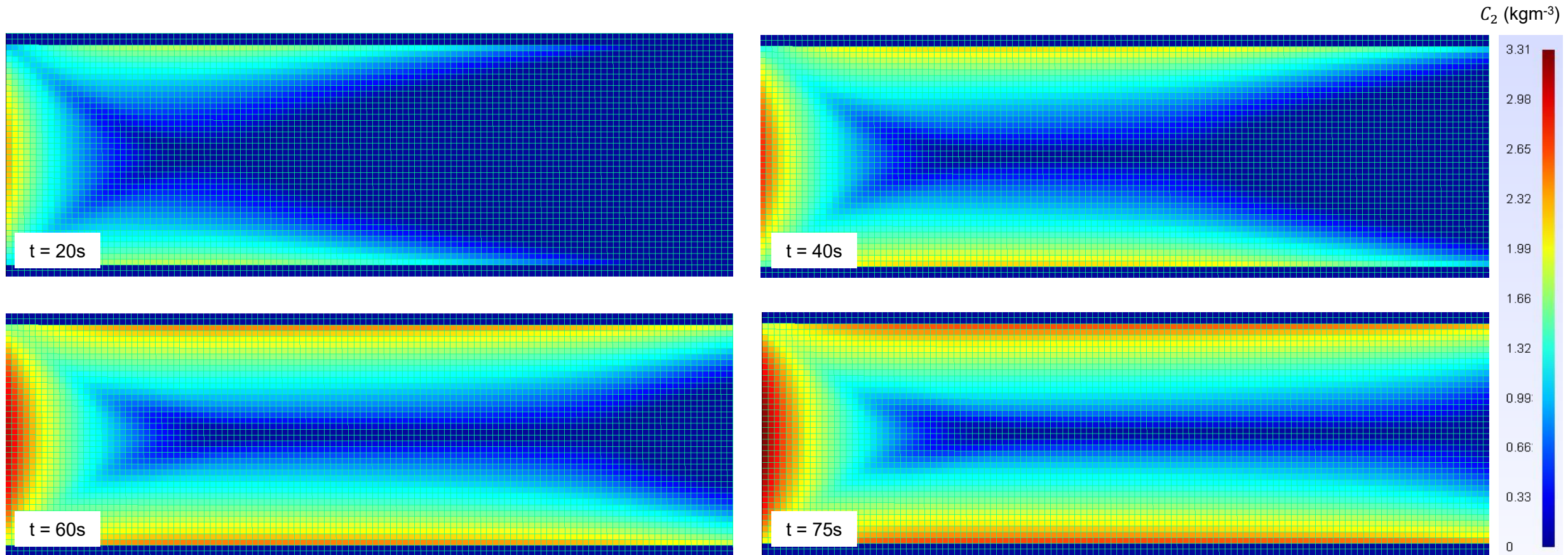


Figure 22: Evolution of filtered particle (C_2) distribution with time during mould filling

3. Results

3.8. Influence of Racetracking

- Racetracking results in a 2D flow of resin, and strongly influences the final distribution of particles as shown in Figs. 18 & 19.
- Since the flow rapidly develops along the mould edges, particles are introduced to the mould extremities.
- Therefore, compared to the 1D case, the distribution of particles within the resin is higher when racetracking (i.e., *high permeability flow paths*) is present.
- This could be an indicator of a potential method of achieving more uniform particle distributions.
- However, this approach also results in the loss of a certain particle mass, which may be a limiting factor.

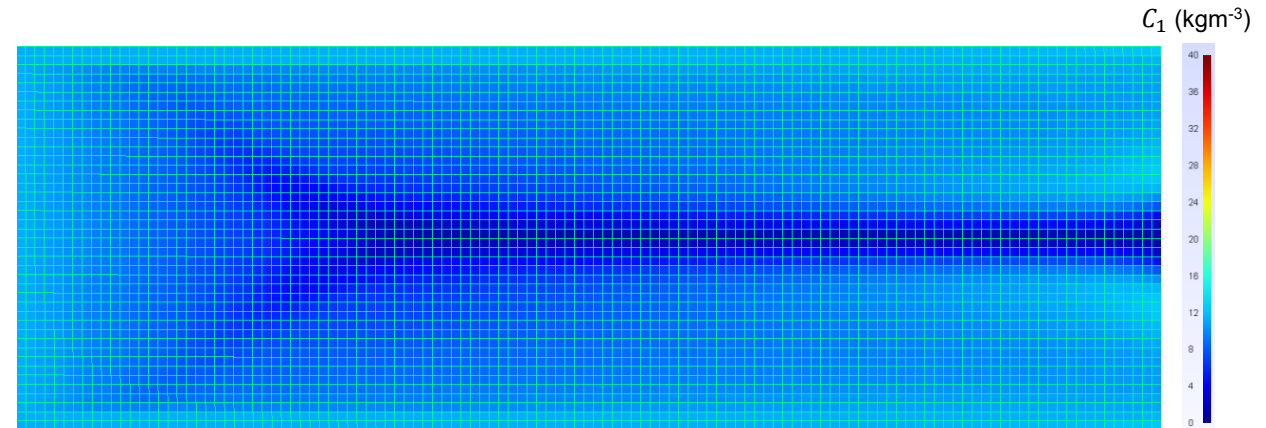


Figure 21: Distribution of particles in resin (C_1) at the end of mould filling

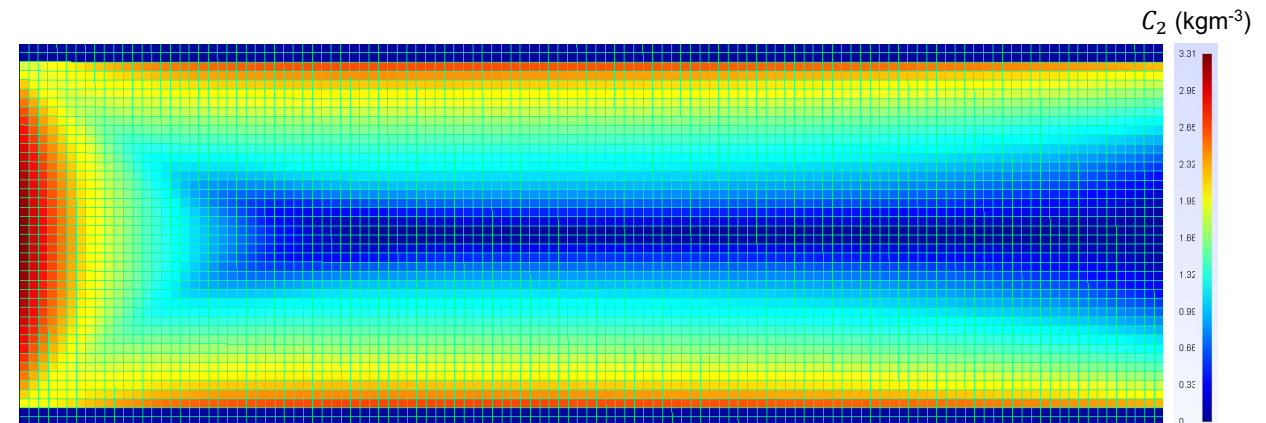


Figure 22: Distribution of filtered particles (C_2) at the end of mould filling

4. Summary and Outlook

- The transport of particle mass concentrations during resin impregnation was modelled and simulated using LIMS and MPI.
- Pressure and velocity fields were solved using LIMS, and these were used by a worker script to transport the particles.
- The updated permeabilities and viscosities computed by the worker were sent back to LIMS, allowing fully coupled simulations.
- The influence of particle presence, resin injection conditions, filtration coefficient, and racetracking was investigated.
- It was found that the combination of incoming particle concentration and the filtration coefficient has a strong influence on the particle distribution at the end of mould filling.
- 2D flows resulting from high permeability flow channels (such as racetracking) show potential over 1D flows to obtain more uniform particle dispersion.
- In line with this, the influence of high permeability channels and multipoint resin injections on dispersion uniformity needs to be evaluated.


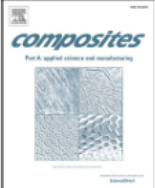
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Review

Modelling and simulation of the polymer resin flow through fibres during Resin Transfer Moulding: a comprehensive review 

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Thank You

Q&A